Beam-Beam simulation and experiment

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Contents

- Simulation code
- Comparison of simulation with experiment
 - Specific luminosity
 - Luminosity tune scans
 - XY-coupling
 - Bunch Length
- Summary

Simulation code

- 3D particle-in-cell code
- Beam-beam force is obtained by solving Poisson equation, using FFT.
- Includes longitudinal beam dynamics.
- Finite crossing angle can be treated.
- Can implement machine errors.



<u>Step</u>

1. Generate macro-particles



2. Beam-Beam kick $\phi = \frac{1}{(2\pi)} \int G(x - x') \rho(x') dx', \quad G(x) = \ln |x|$ $\phi = \frac{1}{(2\pi)^2} \int \hat{G}(k) \hat{\rho}(k) \exp(-ik \cdot x) dk, \quad \hat{\rho}(k) = \int dx \rho(x) \exp(ik \cdot x)$ $\hat{G}(k) = \int dx G(x) \exp(ik \cdot x)$ $\Delta p = -\frac{e}{p_0} \frac{\partial \phi}{\partial x}$

3. Revolution

 $x(s^* + C) = Mx(s^*)$

4. Radiation damping and quantum excitation

Repeat 2-4.

Simulation code (cont'd)

A collision

$$x(0^*) \xrightarrow{L} x^*(0^*) \xrightarrow{kick} x^{*'}(0^*) \xrightarrow{L^{-1}} x'(0^*)$$



L↓↑

- 1. Transform to head-on frame.
- 2. Both bunches are divided to longitudinal slices, respectively.
- Collide each pair of slices sequentially, updating (x, p_x,y, p_y) after each pairwise collision of slices.
- 4. Transform to Lab. frame.



L-1

Simulation code (cont'd)



Each particle is kicked by interpolated force between $\phi_{\rm f}$ and $\phi_{\rm b}$, depending on its longitudinal position

 $\pmb{\phi}_f$: potential when positron's slice is at the forward position of electron's slice

 ϕ_b : potential when positron's slice is at the backward position of electron's slice



Calculation speed

- Runs on the supercomputer at KEK.
- Typically 100,000 particles in each beam.
- A typical run with 128x256x5 grid takes about 7 hours for 12,000 turns.
- FFT takes about 70% of the computation time.
- Using MPI (Message Passage Interface) Library to run the code with a large set of varying parameters (e.g. for tune scan).

Specific Luminosity



Luminosity Tune Survey





Bunch Length (Simulation only)



• $\sigma_{s}(LER) > \sigma_{s}(HER)$ $\sigma_{s}(LER) = 8.7 \text{mm}@1.2 \text{mA}$ $\sigma_{s}(HER) = 7.5 \text{mm}@0.8 \text{mA}$

" $\sigma_s(LER) = \sigma_s(HER)$ " give higher luminosity.

Summary

- We have performed strong-strong beam-beam simulations with the present KEKB parameters.
- The current dependence of specific luminosity and the luminosity tune scans agree very well with observations in KEKB.
- Simulation shows making the bunch length of LER shorter is effective to get higher luminosity.